

MooDy: a dynamic mooring library used for station-keeping simulations in OpenFOAM

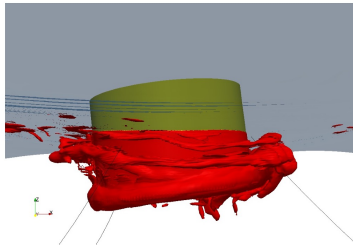
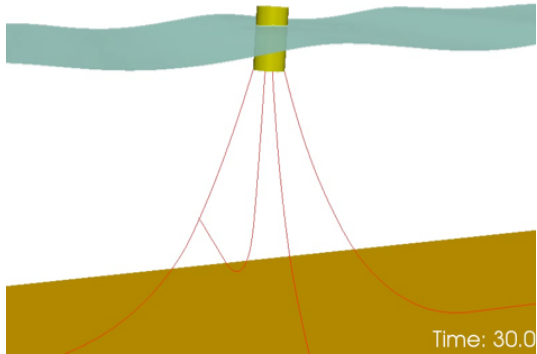
Johannes Palm, Claes Eskilsson and Lars Bergdahl

Associate Professor
Dep of Civil Engineering
Aalborg University, Denmark
cge@civil.aau.dk

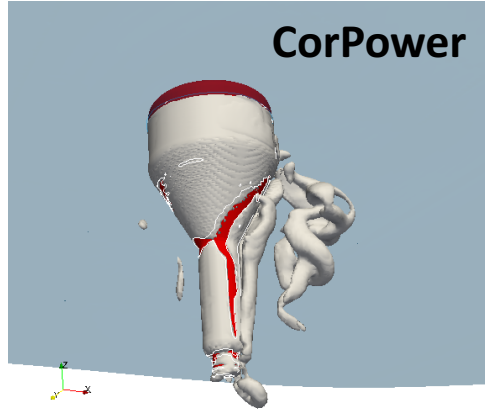
Senior Researcher
Safety and Transport
RISE Research Institutes of Sweden
claes.eskilsson@ri.se

Floating wave energy converters...

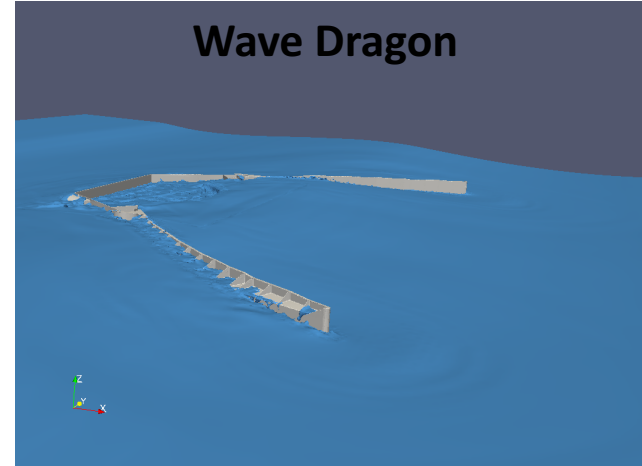
Simple forms



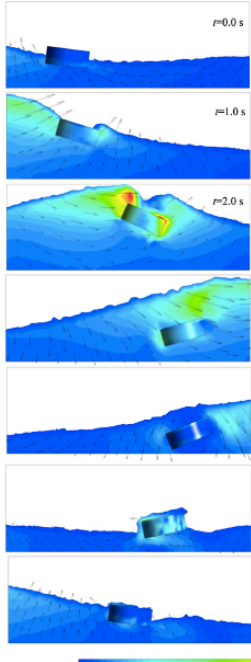
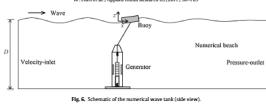
CorPower



Wave Dragon

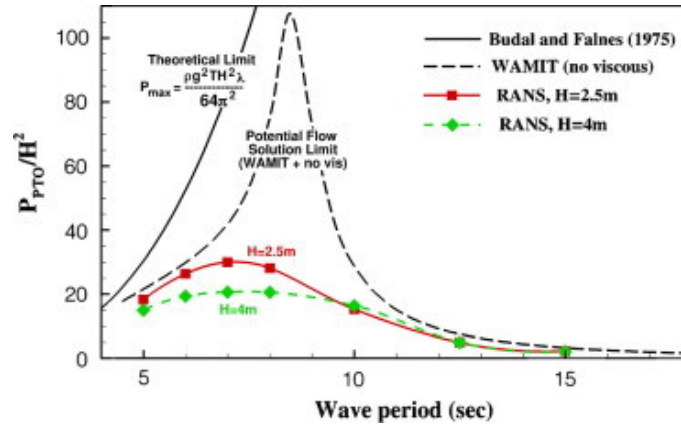
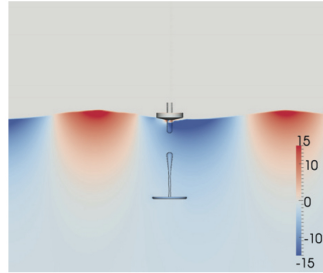


Survival



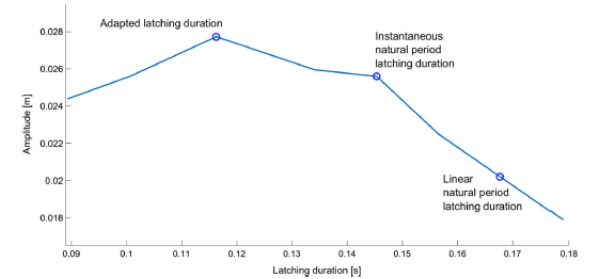
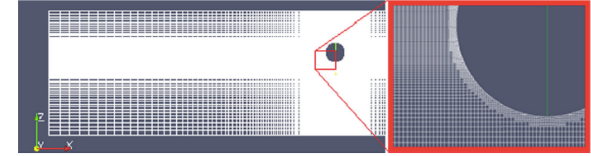
Chen et al 2016

Resonance



Yu and Li 2013

Control

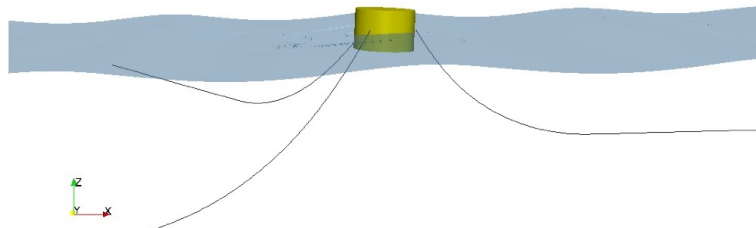


Girogi Ringwood 2016

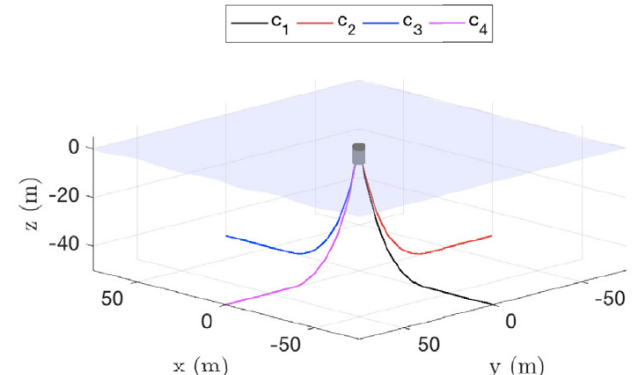
MooDy is a solver for mooring cable dynamics

- Designed to handle snap loads
 - Equations re-written in conservative form
 - High-order discontinuous Galerkin method
 - *hp*-adaptive solution
 - Explicit time-steppers
- Cables with negligible bending stiffness
- Written in C++ with no dependencies (except std lib)
- Coupled to OpenFOAM and WEC-SIM/FAST
- Released as pre-compiled lib

OpenFOAM



WEC-SIM (and FAST)

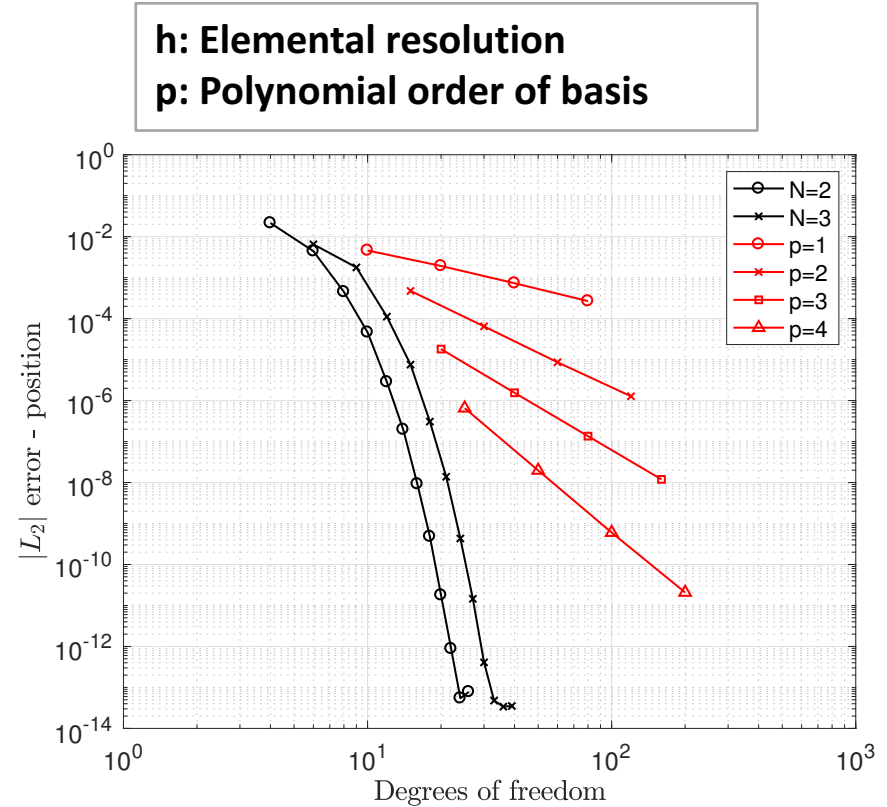


- **Smooth solutions**
 - *Verified on linearised standing wave*
 - *Exponential convergence: $h^{p+1/2}$*

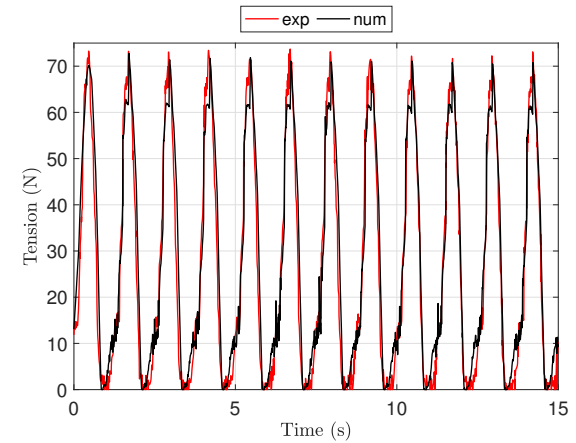
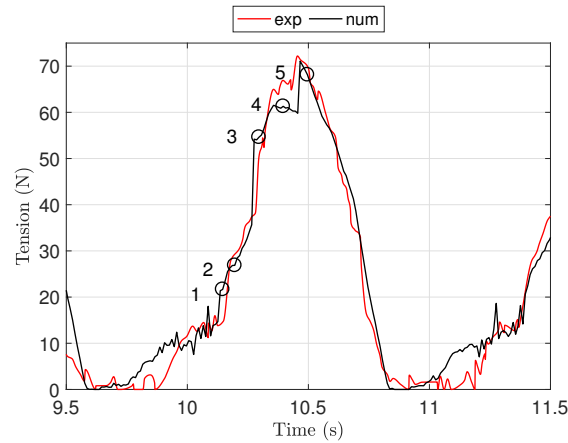
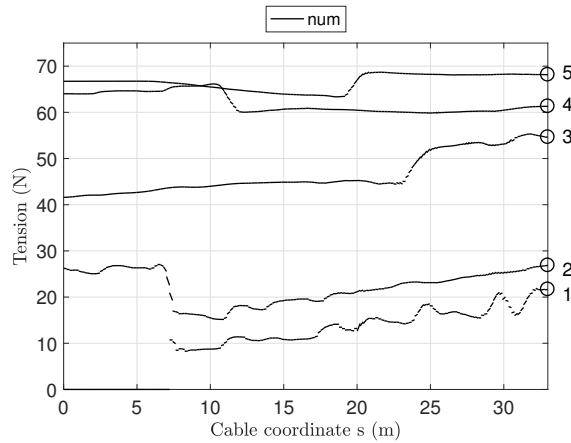
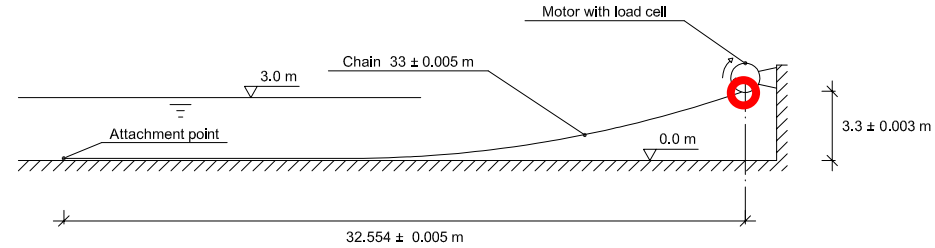
Use high-order elements!

Table 1: Convergence rates for the linear standing wave for position. α is the convergence rate based on $\varepsilon = Ch^\alpha$.

p	ε_{N10}	ε_{N20}	ε_{N40}	$\alpha_{20/10}$	$\alpha_{40/20}$
1	2.13×10^{-3}	7.65×10^{-4}	2.73×10^{-4}	1.48	1.48
2	1.03×10^{-4}	1.30×10^{-5}	1.63×10^{-6}	3.00	2.99
3	1.57×10^{-6}	1.36×10^{-7}	1.20×10^{-8}	3.52	3.51
4	3.75×10^{-8}	1.08×10^{-9}	3.05×10^{-11}	5.12	5.14



- **Validation case**
 - *Excellent match with experimental data*
 - *Snap load from cable slack*



Station-keeping approaches used

- Heave only → `sixDoFRigidBodyMotionConstraints::line/axis`
- Linear spring → `sixDoFRigidBodyMotionRestrains::linearSpring`
- Quasi-static approach → `sixDoFRigidBodyMotionRestrains::mooringLine` (waves2Foam)
- **Dynamic approach → `sixDoFRigidBodyMotionRestrains::moodyR`**

```

/*-----*\
          Class moodyR Declaration
\*-----*/

class moodyR
:
    public sixDoFRigidBodyMotionRestraint
{
    // Private data

    // Reference points of attachment to the solid body //
    List<point> attachPts_;

    // Word containing the filename of the input file for the
    mooring system //
    string mooringSystemFilename_;

    // The number of attachment points //
    int noOfAttachments_;

    // The ramp time of the mooring force (not invoked in moody,
    but before force is returned to motion_ ) //
    scalar mooringRampTime_;

    // Last call time of function //
    scalar startTime_;

    // If moored or not
    bool moored_;

    // Switch to ensure that moody is only initialised once
    bool moodyStarted_;

public:

    //-- Runtime type information
    TypeName("moodyR");

```

```

// Constructors

```

```

    //-- Construct from components
    moodyR
    (
        const word& name,
        const dictionary& sDoFRBMRDict
    );

    //-- Construct and return a clone
    virtual autoPtr<sixDoFRigidBodyMotionRestraint> clone()
const
    {
        return autoPtr<sixDoFRigidBodyMotionRestraint>
        (
            new moodyR(*this)
        );
    }

    //-- Destructor
    virtual ~moodyR();

    // Member Functions

    //-- Calculate the restraint position, force and moment.
    // Global reference frame vectors.
    void restrain
    (
        const sixDoFRigidBodyMotion& motion,
        vector& restraintPosition,
        vector& restraintForce,
        vector& restraintMoment
    );

    //-- Update properties from given dictionary
    bool read(const dictionary& sDoFRBMRCoeff);

    //-- Write
    void write(Ostream&) const;

};

```

```

void Foam::sixDoFRigidBodyMotionRestrains::moodyR::restrain
(
    const sixDoFRigidBodyMotion& motion,
    vector& restraintPosition,
    vector& restraintForce,
    vector& restraintMoment
)
{
    ...

    if ( moored_ )
    {
        // Compute values at present motion state
        double attachInfo[3*noOfAttachments_]; // Always 3D
        List<point> currentPositions(attachPts_);

        for ( int ii = 0; ii<noOfAttachments_; ++ii)
        {
            // Transform the starting points to present
            motion state
            currentPositions[ii] =
            motion.transform(attachPts_[ii]);

            // Fill attachInfo with transformed values
            attachInfo[ii*3] = currentPositions[ii].x();
            attachInfo[ii*3+1] = currentPositions[ii].y();
            attachInfo[ii*3+2] = currentPositions[ii].z();
        }

        // Send info to moody
        double allForces[3*noOfAttachments_];

        moodySolve( attachInfo , allForces ,
        motion.state0().time() , motion.state().time());
    }
}

```

```

        // Compute moment and total force
        vector tmpVector(vector::zero);

        for ( int ii = 0; ii<noOfAttachments_; ++ii)
        {
            tmpVector[0] = -allForces[ii*3];
            tmpVector[1] = -allForces[ii*3+1];
            tmpVector[2] = -allForces[ii*3+2];

            restraintForce += tmpVector;

            restraintMoment += (currentPositions[ii] -
            motion.centreOfRotation())^tmpVector;

            Info<< " Mooring force at point " << ii << ",
            position: " << currentPositions[ii] << " is : " << tmpVector
            << " Total force: " << restraintForce
            << " Total moment: " << restraintMoment
            << endl;
        }

        // End mooring loop with assigning rP as
        centreOrRotation. No added moment should be computed //
        restraintPosition = motion.centreOfRotation();
    }

} // end of restrain member

```

```
restraints
{
    mooring
    {
        sixDoFRigidBodyMotionRestraint      moodyR;

        attachmentPoints      (
                                (0.6 0.6 0.3)
                                (0.6 0.4 0.3)
                                (0.4 0.4 0.3)
                                (0.4 0.6 0.3)
                                );

        mooringSystemFilename      "moodyInput.txt";
    }
}
```

```
%----- Time settings -----%
startTime = 0; % [s] Start time
endTime = 1; % [s] End time of simulation
timeStep = 5e-5; % [s] Time step size
saveInterval = 0.1; % save results every xx time interval
timeStepScheme='RK3'; %'RK3'
lagTimeFraction = 0.5;
courantNo = 0.9; % compute time step size from Courant no. (CFL condition)
```

```
%----- General settings -----%
gravity = 1; % [-] Gravity is 1=on, 0=off
waterLevel = 0.52; % [m] z-coordinate of mean water level
waterDensity = 1e3; % [kg/m??] Density of water
airDensity = 0; % [kg/m??] Density of air
dimensionNumber = 3; % [-] 1D, 2D or 3D : 1, 2 or 3
```

```
%----- Ground model input -----%
ground.type = 'springDampGround';
ground.level = -50;
ground.dampingCoeff = 1;
ground.frictionCoeff = 1;
ground.vc = 0.1;
ground.stiffness = 1e6;
```

```
%----- Type definition -----%
cableType1.diameter = 0.01;
cableType1.gamma0 = 1;
cableType1.CDn = 1.5;
cableType1.CDt = 0.1;
cableType1.CMn = 1.0;
cableType1.materialModel.type = 'bilinearCable';
cableType1.materialModel.EA = 100; % specific input to material model.
```

```
%----- Geometry -----%
vertexLocations = {
    1 [2.5 2.5 0];
    2 [0.0 0.0 0.0];
    3 [2.5 -1.5 0];
    4 [0.0 0.0 0.0];
    5 [-1.5 -1.5 0];
    6 [0.0 0.0 0.0];
    7 [-1.5 2.5 0];
    8 [0.0 0.0 0.0];
};
```

```
%----- Object definitions -----%
cableObject1.name = 'cable1';
cableObject1.typeNumber = 1;
cableObject1.startVertex = 1; %
cableObject1.endVertex = 2; %
cableObject1.length = 1.0; %
cableObject1.IC.type = 'Prestrain';
cableObject1.IC.esp0 = 0.1;
cableObject1.mesh.N = 5;
cableObject1.mesh.P = 4;
```

```
cableObject2.name = 'cable2';
cableObject2.typeNumber = 1;
cableObject2.startVertex = 3; %
cableObject2.endVertex = 4; %
cableObject2.length = 1.0; %
cableObject2.IC.type = 'Prestrain';
cableObject2.IC.esp0 = 0.1;
cableObject2.mesh.N = 5; %
cableObject2.mesh.P = 4;
```

```
cableObject3.name = 'cable3';
cableObject3.typeNumber = 1;
cableObject3.startVertex = 5; %
cableObject3.endVertex = 6; %
cableObject3.length = 1.0; %
cableObject3.IC.type = 'Prestrain';
cableObject3.IC.esp0 = 0.1;
cableObject3.mesh.N = 5; %
cableObject3.mesh.P = 4;
```

```
cableObject4.name = 'cable4';
cableObject4.typeNumber = 1;
cableObject4.startVertex = 7; %
cableObject4.endVertex = 8; %
cableObject4.length = 1.0; %
cableObject4.IC.type = 'Prestrain';
cableObject4.IC.esp0 = 0.1;
cableObject4.mesh.N = 5; %
cableObject4.mesh.P = 4;
```

```
%----- Boundary conditions -----%
bc1.vertexNumber = 1;
bc1.type = 'dirichlet'; % 'dirichlet, neumann or mixed.
bc1.mode = 'fixed';
```

```
bc2.vertexNumber = 2;
bc2.type = 'dirichlet';
bc2.mode = 'externalPoint'; % laggingQuadraticInterp;
```

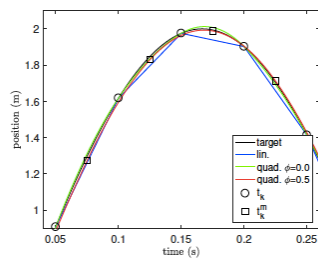
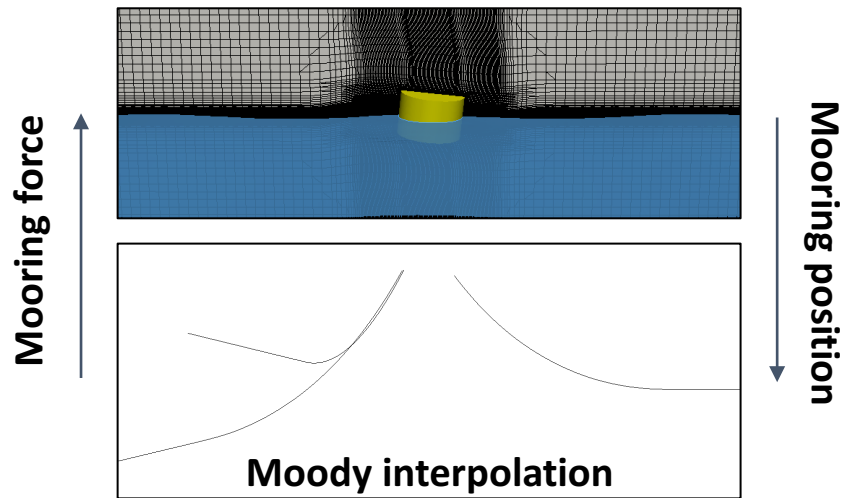
```
bc3.vertexNumber = 3;
bc3.type = 'dirichlet'; % 'dirichlet, neumann or mixed.
bc3.mode = 'fixed';
```

```
bc4.vertexNumber = 4;
bc4.type = 'dirichlet';
bc4.mode = 'externalPoint'; % laggingQuadraticInterp;
```

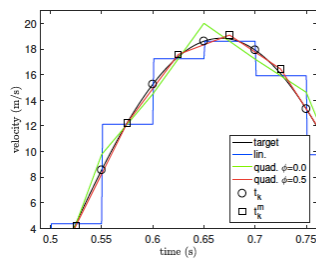
```
bc5.vertexNumber = 5;
bc5.type = 'dirichlet'; % 'dirichlet, neumann or mixed.
bc5.mode = 'fixed';
```

```
bc6.vertexNumber = 6;
bc6.type = 'dirichlet';
bc6.mode = 'externalPoint'; % laggingQuadraticInterp;
```

Two timescales. Boundary condition interpolation required

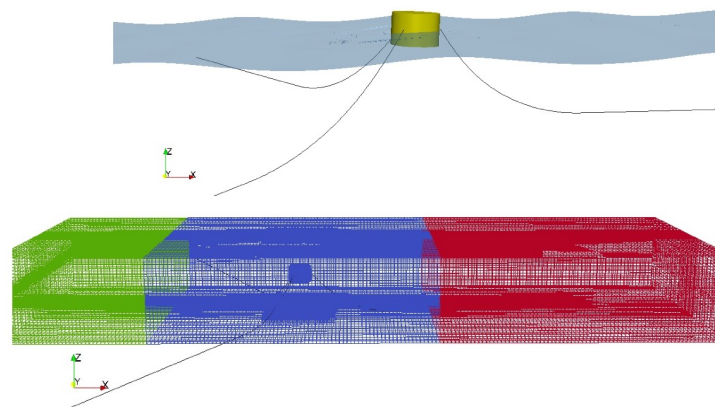


(a) Position

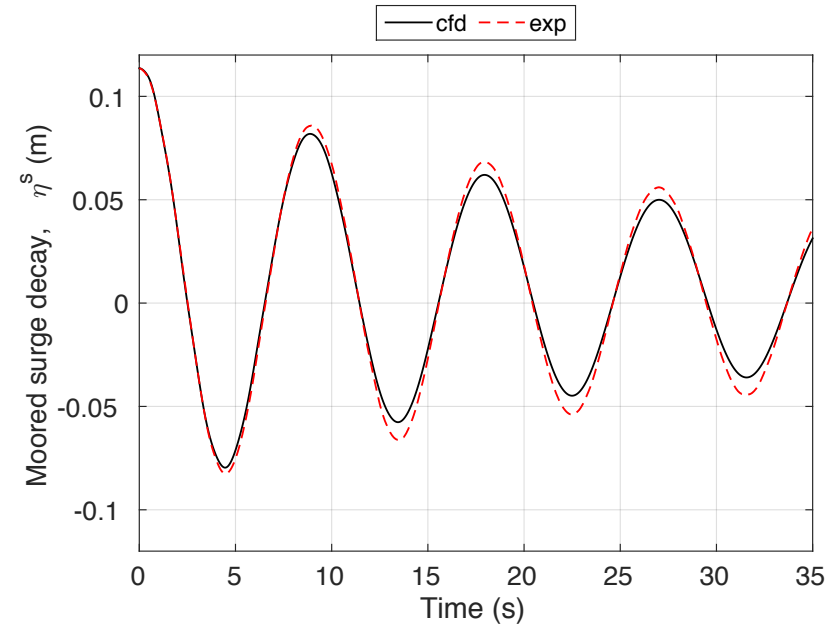
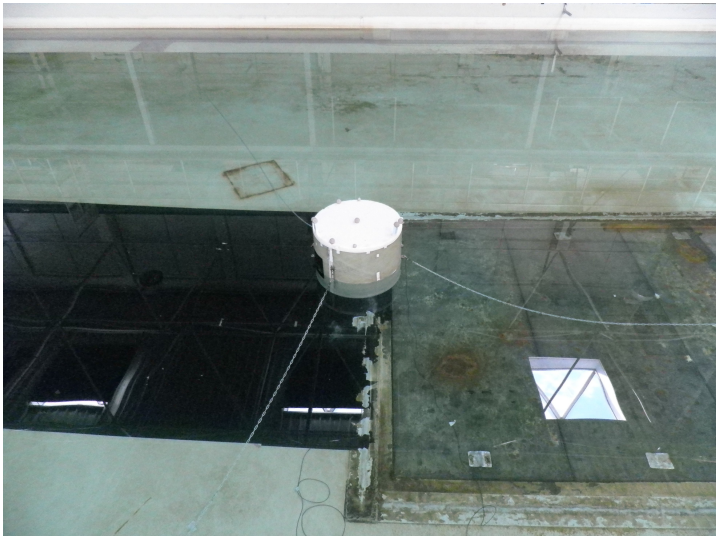


(b) Velocity

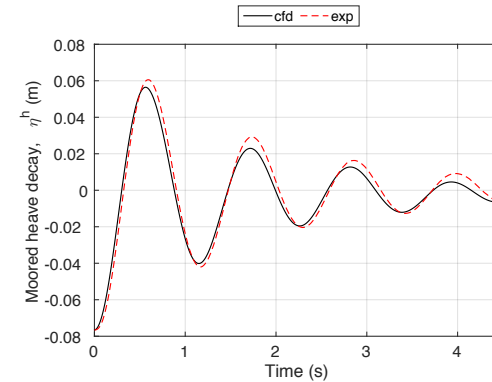
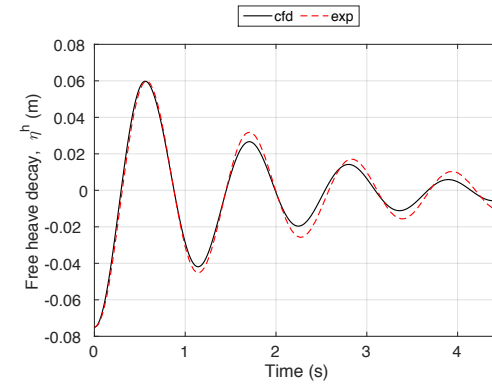
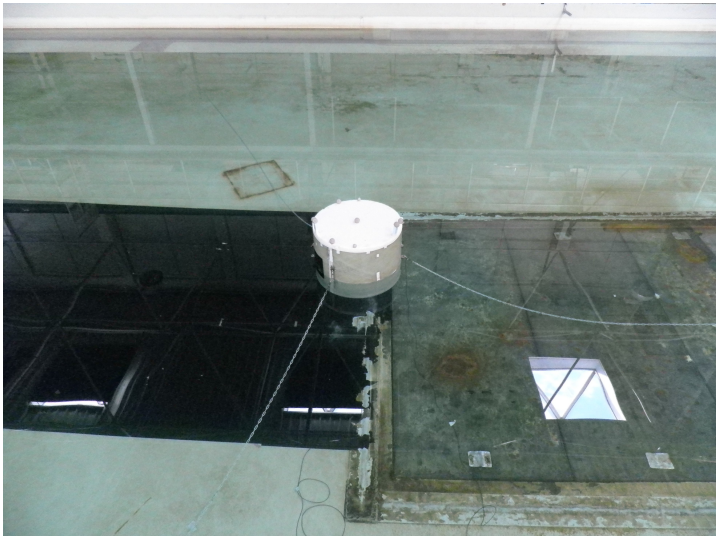
Porto test →
Paredes et al 2016



- **Surge (horizontal)**
 - *Very good agreement*
 - *All stiffness comes from the moorings*
 - *Coupled mooring validated!*



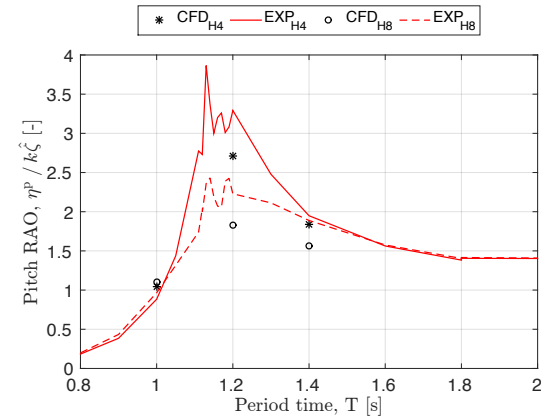
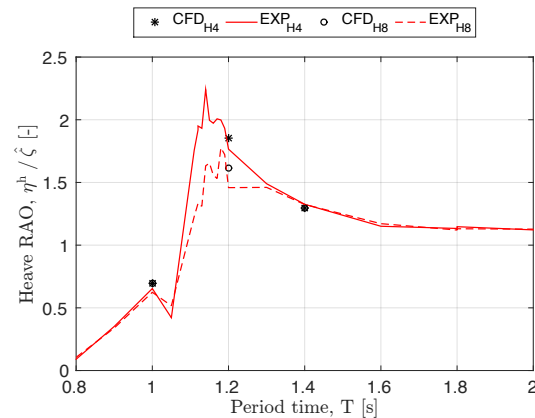
- **Heave (vertical)**
 - *Very good agreement both with and without moorings*
 - *Slightly more damping in cfd*



- **Motion response**

- *Three wave periods, two wave heights*
- *Good agreement in heave and mooring force*
- *RAO is strongly nonlinear*
- *Pitch is underpredicted, but influence of nonlinearity is correct*

RAO: Response Amplitude Operator
Motion amplitude / wave amplitude.
Constant for each frequency in linear theory

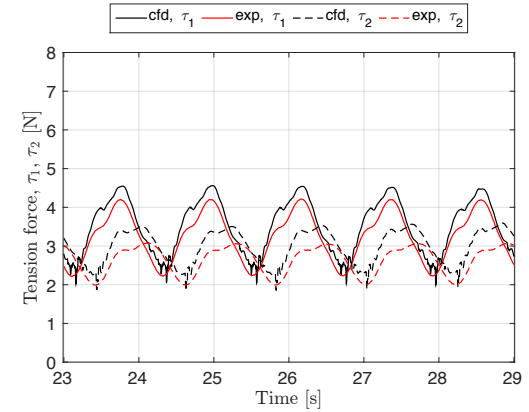


Regular waves

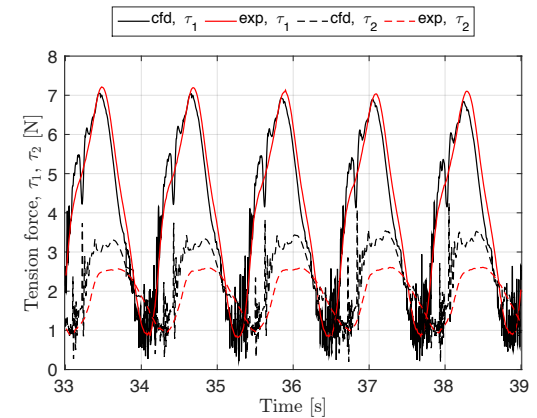
- **Mooring forces**
 - *Good agreement in mooring forces*
 - *Overall dynamic behaviour captured*
 - *Some discrepancies in amplitude*



$T=1.2$ s, $H=4$ cm



$T=1.2$ s, $H=8$ cm



Detailed info can be found in the following publications (open-access)

V International Conference on Computational Methods in Marine Engineering
MARINE 2013
B. Brinkmann and P. Wriggers (Eds)

SIMULATION OF MOORING CABLE DYNAMICS USING A DISCONTINUOUS GALERKIN METHOD

JOHANNES PALM*, GUILHERME MOURA PAREDES[†], CLAES ESKILSSON*, FRANCISCO TAVEIRA PINTO[†] AND LARS BERGDAHL*

* Department of Shipping and Marine Technology
Chalmers University of Technology
SE-412 96 Gothenburg, Sweden

Email: johannes.palm@chalmers.se - Web page: www.chalmers.se

[†] Departamento de Engenharia Civil
Faculdade de Engenharia, Universidade do Porto
4200-465 Porto, Portugal

Email: gmoura.paredes@fe.up.pt - Web page: www.fe.up.pt

http://publications.lib.chalmers.se/records/fulltext/183127/local_183127.pdf

Keywords: Mooring cables, Discontinuous Galerkin method, High-order finite elements

Abstract: A new numerical model for simulating the dynamics of mooring cables is presented. The model uses the hp formulation of the discontinuous Galerkin method. Verification against analytical solutions for a static and a dynamic case is carried out and the model is shown to exhibit exponential convergence with increasing polynomial

Ocean Engineering 144 (2017) 286–298

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Ocean Engineering

journal homepage: www.elsevier.com/locate/oceaneng



An hp -adaptive discontinuous Galerkin method for modelling snap loads in mooring cables

Johannes Palm*, Claes Eskilsson[†], Lars Bergdahl

Department of Mechanical and Maritime Sciences, Chalmers University of Technology, SE-412 96, Gothenburg, Sweden



ARTICLE INFO

Keywords:
Mooring cable
Snap load
Discontinuous Galerkin method
High-order
Shock-capturing

ABSTRACT

This paper focuses on modelling snap loads in mooring cables. Snap loads are a known problem for the established oil and gas industry, and they pose a major challenge to robust mooring design for the growing industry of wave energy conversion. We present a discontinuous Galerkin formulation using a local Lax-Friedrichs Riemann solver to capture snap loads in mooring cables with high accuracy. An hp -adaptive scheme is used to dynamically change the number of nodes and the polynomial order, based on the local solution quality. We implement an error indicator and a shock identifier to capture shocks with sharp-tailed linear elements while using high-order Legendre polynomials for smooth solutions. Efficient and accurate computations of idealised shock waves in both linear and nonlinear materials were achieved using hp -adaptivity. Comparison with experimental data gives excellent re-

http://publications.lib.chalmers.se/records/fulltext/183127/local_183127.pdf

International Journal of Marine Energy 16 (2016) 83–99

Contents lists available at ScienceDirect



International Journal of Marine Energy

journal homepage: www.elsevier.com/locate/ijome



Coupled mooring analysis for floating wave energy converters using CFD: Formulation and validation

Johannes Palm^{a,*}, Claes Eskilsson^a, Guilherme Moura Paredes^b, Lars Bergdahl^a

^a Department of Shipping and Marine Technology, Chalmers University of Technology, SE-412 96 Gothenburg, Sweden

^b Department of Civil Engineering, Faculty of Engineering, University of Porto, 4200-465 Porto, Portugal



INFO

2015
2016
May 2016

ABSTRACT

Floating wave energy converters (WECs) affected by non-linearities arising from motion and the mooring restraints. To capture a method which readily accounts for a coupled mooring analysis using a two-dimensional CFD model. Experimental measurements of a cylinder in a wave tank are used to validate the experimental and computational results with respect to the mooring restraints. The results are independent of the cylinder amplitude q .
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<http://www.sciencedirect.com/science/article/pii/S2214167116300077>

USERS MANUAL
version m-1.0

MOODY

JOHANNES PALM
CLAES ESKILSSON

www.sdwded.civil.aau.dk/digitalAssets/97/97522_d2.4.pdf

THESIS FOR THE DEGREE OF DOCTOR OF PHILOSOPHY

Mooring Dynamics for Wave Energy Applications

A high-order discontinuous Galerkin method for cables, coupled to Reynolds averaged Navier-Stokes simulations.

JOHANNES PALM

publications.lib.chalmers.se/records/fulltext/248879/248879.pdf



Department of Shipping and Marine Technology
CHALMERS UNIVERSITY OF TECHNOLOGY
Gothenburg, Sweden
2017

**sixDOFRigidBodyRestraint::moodyR and libmoodyWrap.so
can be downloaded from:**

<https://github.com/johannep/moodyAPI>